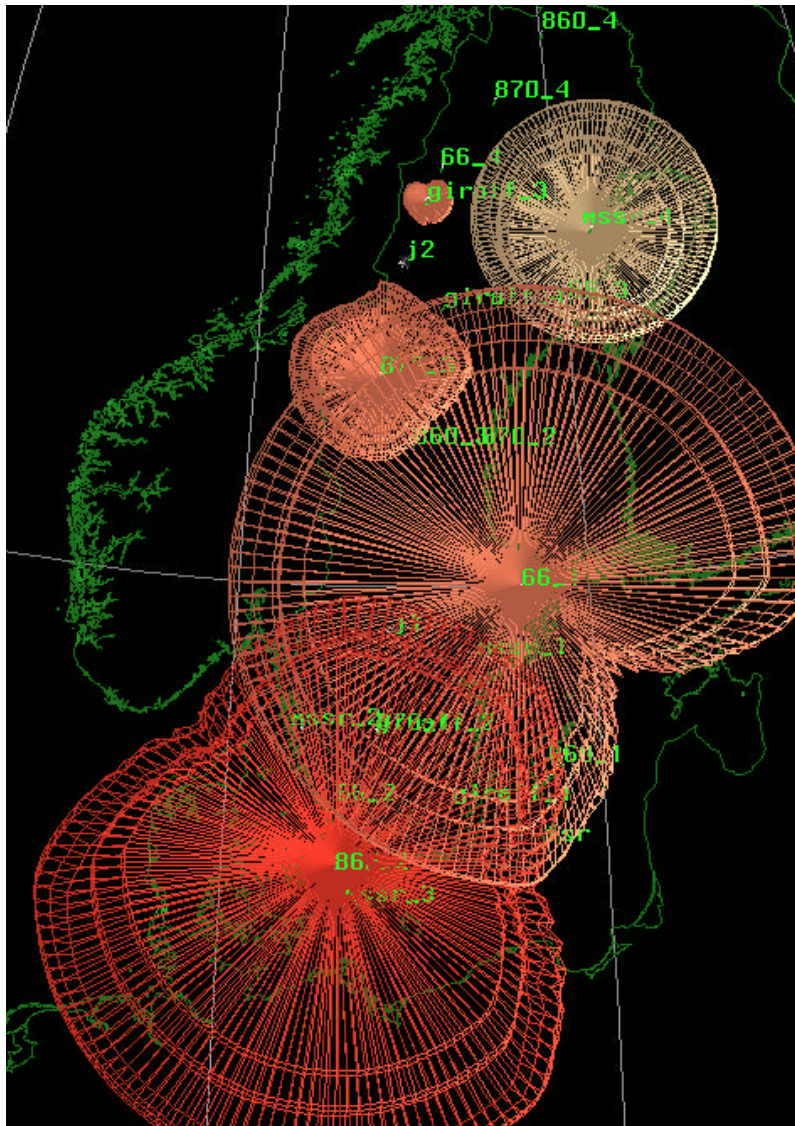


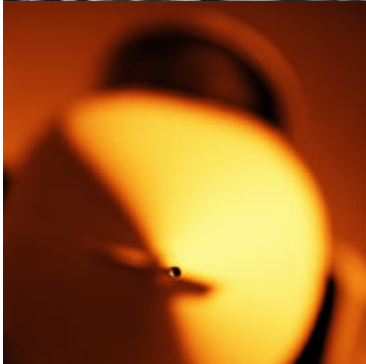


Principer för multisensor- målföljning

Niclas Bergman
Avd. för datafusion
SaabTech Systems,
Järfälla

Agenda

- SaabTech Systems
 - Företaget, produkter, teknikområde
- Målföljning
 - Algoritmer och tekniker som används inom målföljning
 - Exempel
- Sammanfattning



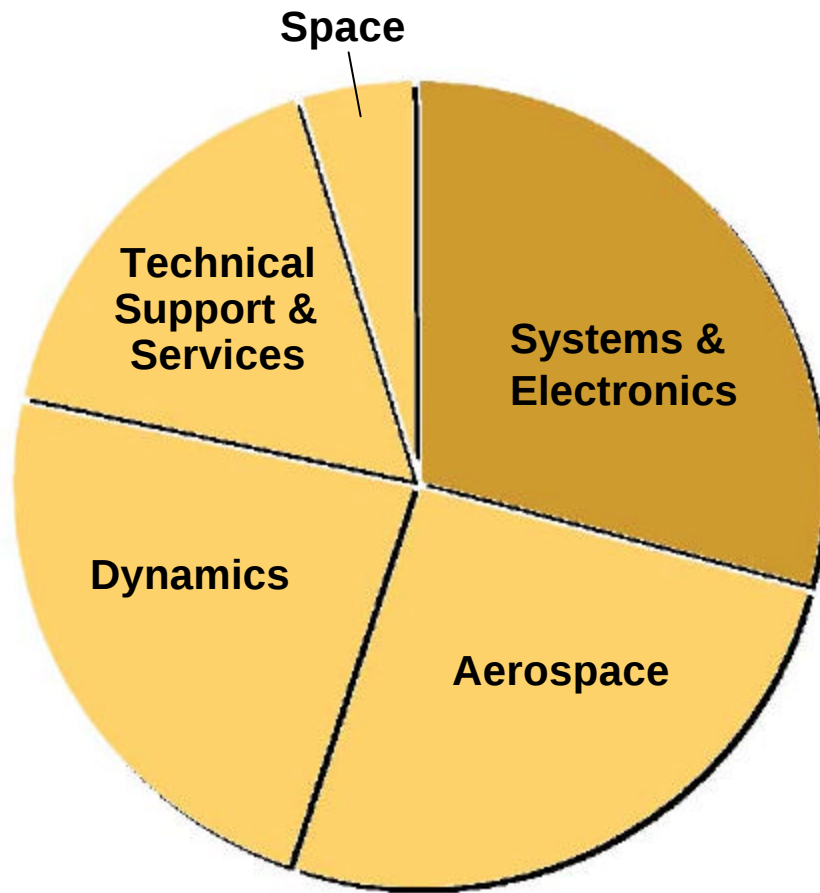
SAAB

SAAB

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SAAB



Saab's core business areas

Saab AB Pro forma 1999:

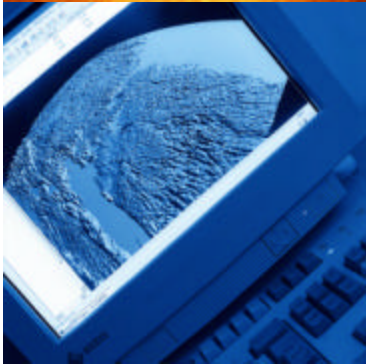
Sales, MSEK 19,264

No. of employees 17,213

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Saab Systems & Electronics

SYSTEMS & ELECTRONICS

KTH 2001-03-29





Saab Systems & Electronics Areas

- Command and Control Systems
- Avionics
- Electronic Warfare
- Simulation and Training
- Signature Management
- Spin-Off Applications

SYSTEMS & ELECTRONICS

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Systems & Electronics Companies

Key figures 2000

Net sales, MSEK: 4,364

No. of employees: 3,023



SYSTEMS & ELECTRONICS

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Command and Control (C²) Systems

Command superiority for armed forces enabled by world class functionality such as:

- Battle Force Planning
- Decision Support
- Automatic Air and Area Defence
- Wide Area Situation Picture
- Data Fusion
- Weapon Control

SYSTEMS & ELECTRONICS

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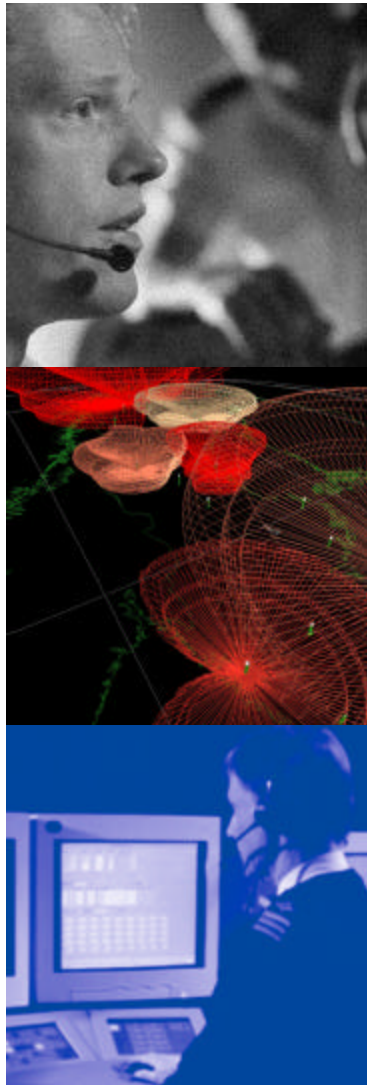
Saab Netdefense



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SaabTech Systems

SAABTECH SYSTEMS

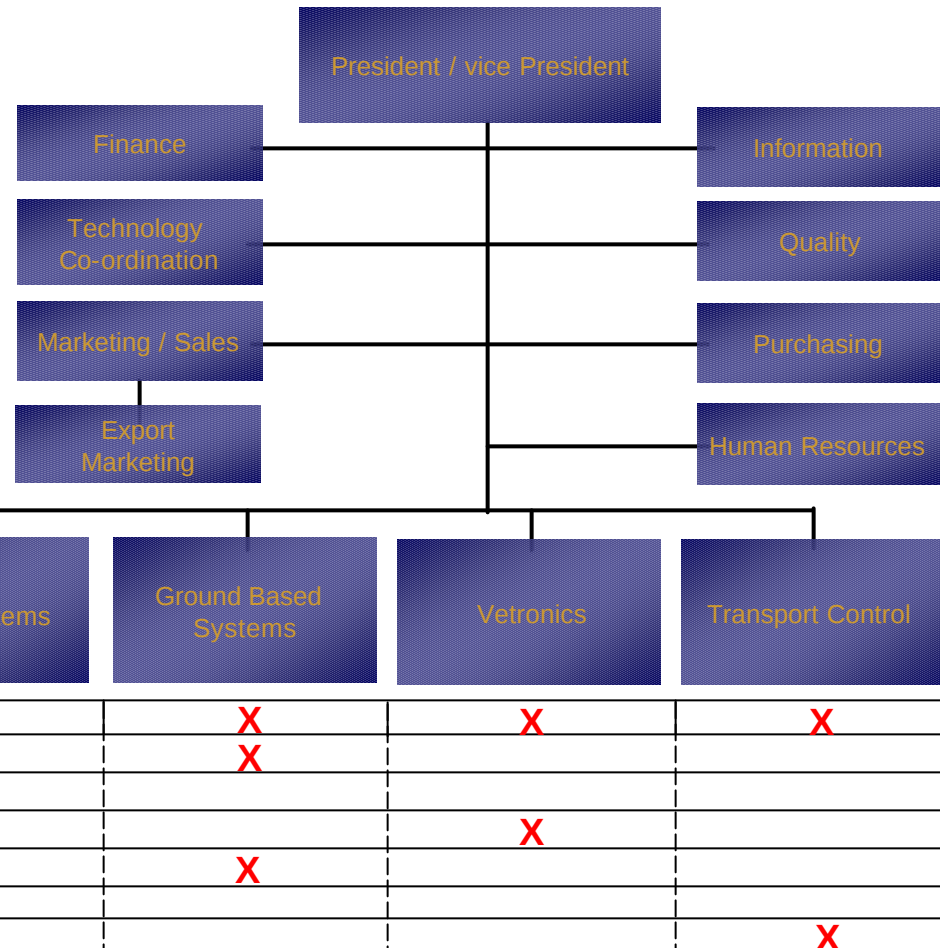
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Organisation



The Järfälla Head Office



SAABTECH SYSTEMS

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Product Line

- Naval Combat Management Systems
- Weapon Control Systems
- Coastal Defence Systems
- Mine Hunting and Mine Clearance Systems

- Air Defence Ground Environment Systems
- Simulators
- Data Fusion
- Short Term Conflict Alert

- C³ Systems
- Fire Control Systems
- Sensor & Countermeasure Systems

- Vehicle Tracking Systems

SAABTECH SYSTEMS

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System Track Record

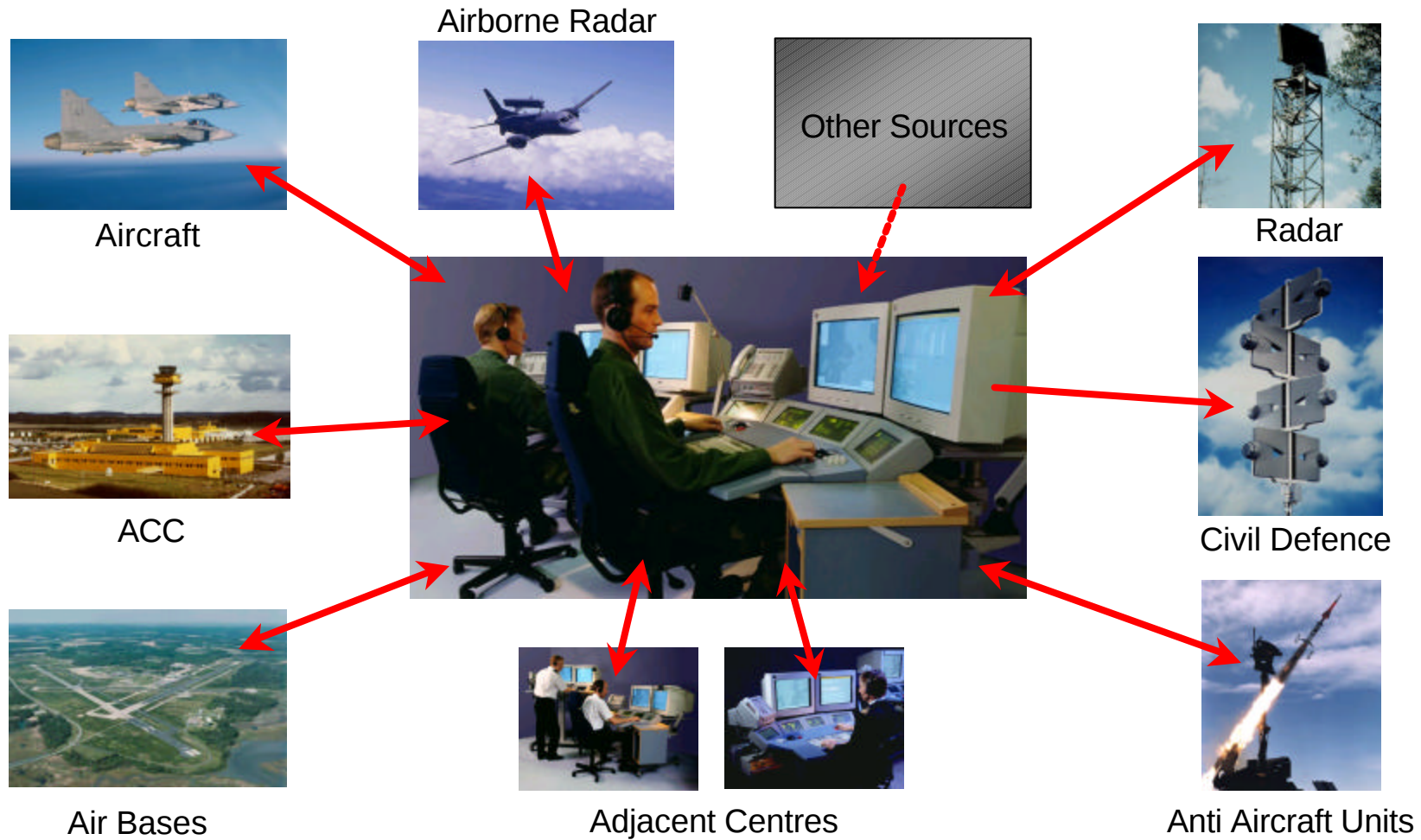
Total: > 750

SAABTECH SYSTEMS

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Air Defence Command and Control

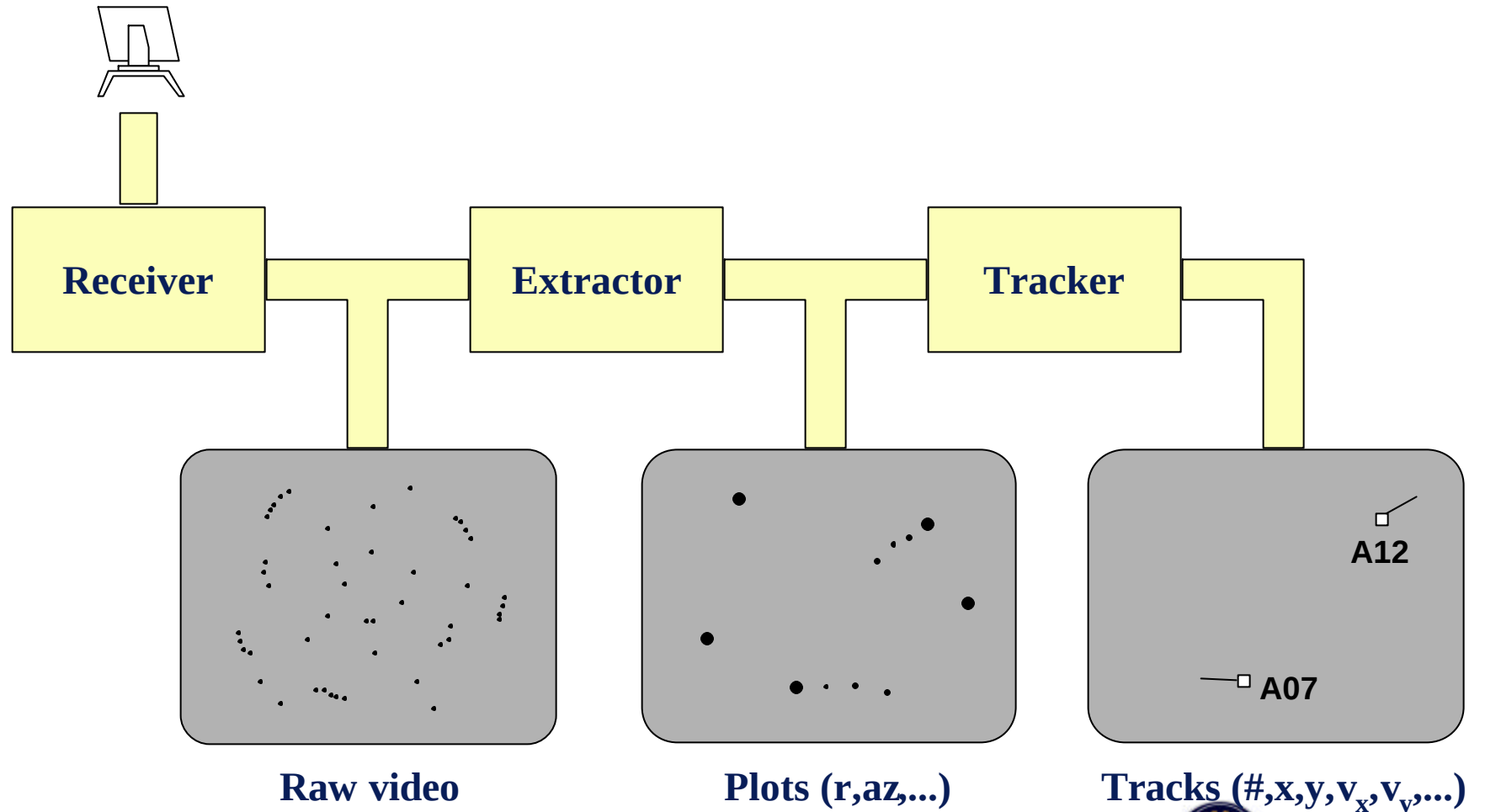


SAABTECH SYSTEMS

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Vad är målföljning (Tracking)?

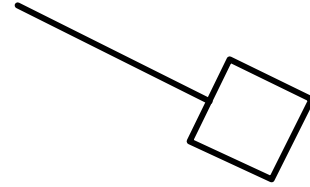


SAAB



The Track

(Målspåret)



- The Track should contain as much information as possible about a target
 - A filter that estimates the kinematics of the target
 - A target classification state
- The filter is updated with the sensor measurement, i.e. a subset of: azimuth, range, elevation
- The estimated target classification state is updated by the amplification data. It can also utilize the kinematic information

Important Performance Measures

- Accuracy of estimated state (position, speed, target type etc.)
- Fast track initiation/Low false track density
- Track continuity in situations with
 - high clutter (jammed environment)
 - low Pd targets (stealth targets)
 - fast maneuvers

Sensor types

Sensor	Azimuth	Range	Elevation	Amplification Data
3D-Radar	X	X	X	*
2D-Radar	X	X		*
2D-Passive	X		X	*
1D- Passive	X			*

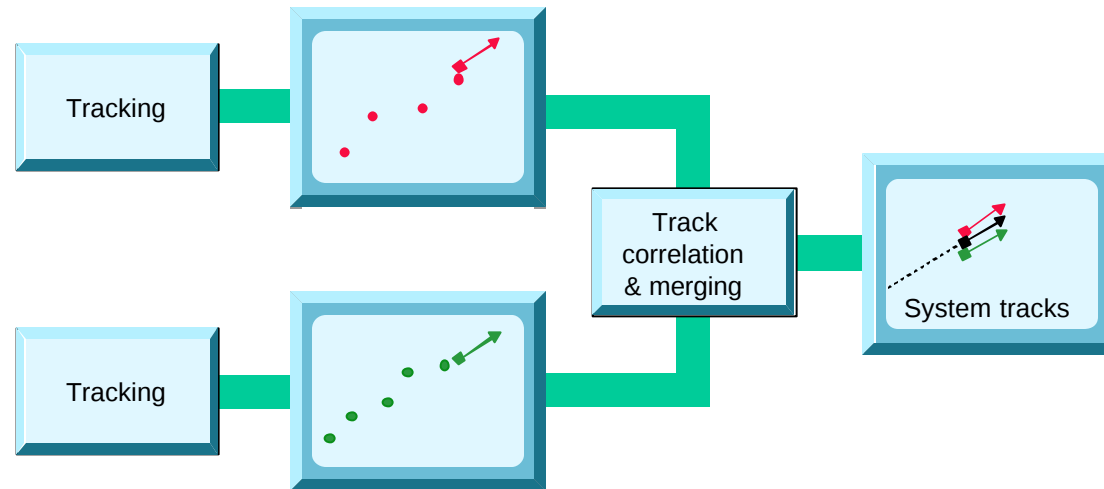
Passive Sensors

- ECM strobes from radars
- IR/EO sensors
- ESM/CESM sensors

Amplification Data

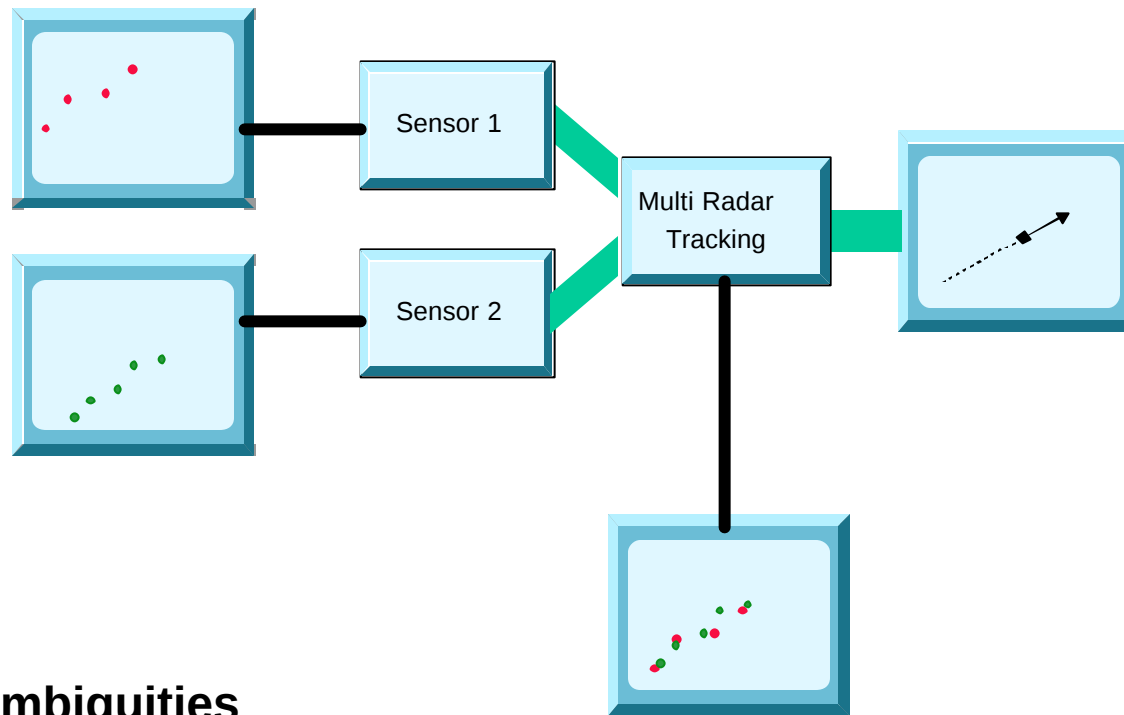
- Target Type (ESM)
- Emitter Type/Mode (ESM)
- Parameters Generated by the Signal Analysis (ESM)
- JEM data (Radar)
- Transponder Returns (IFF)

Decentralised Data Fusion



- Tracking performed for each radar
- Tracks are compared and correlated
 - Manually or automatic
 - Weighing or selective
- Detection probability dependent on performance of each radar
- Accuracy dependent on update frequency from each radar

Centralised Data Fusion

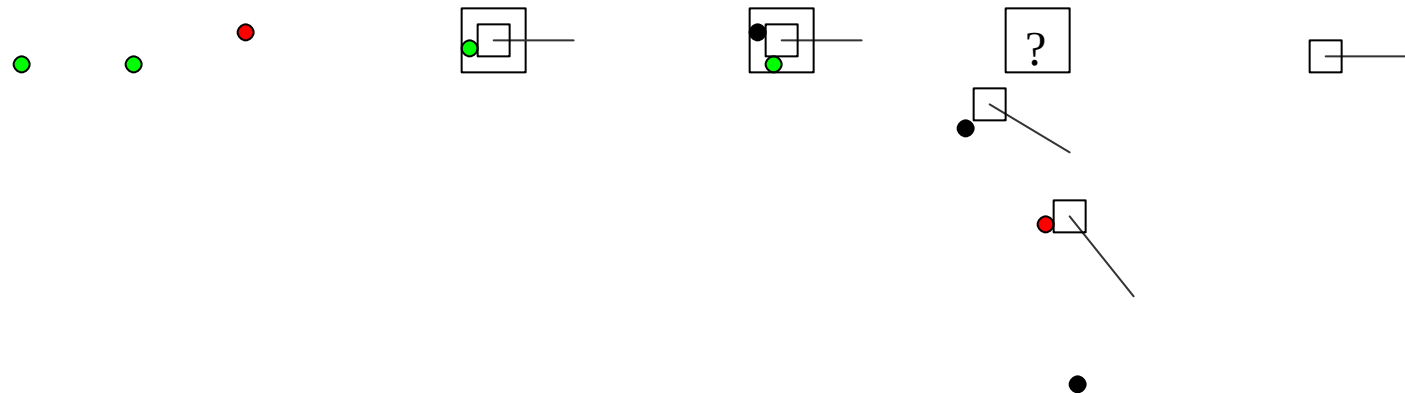


- **Less ambiguities**
- **Frequent updates - better performance**
- **Best use of overlapping sensors**
- **The natural way to integrate radars with passive sources and satellite navigation data**

Centralised Fusion:



Decentralised Fusion:

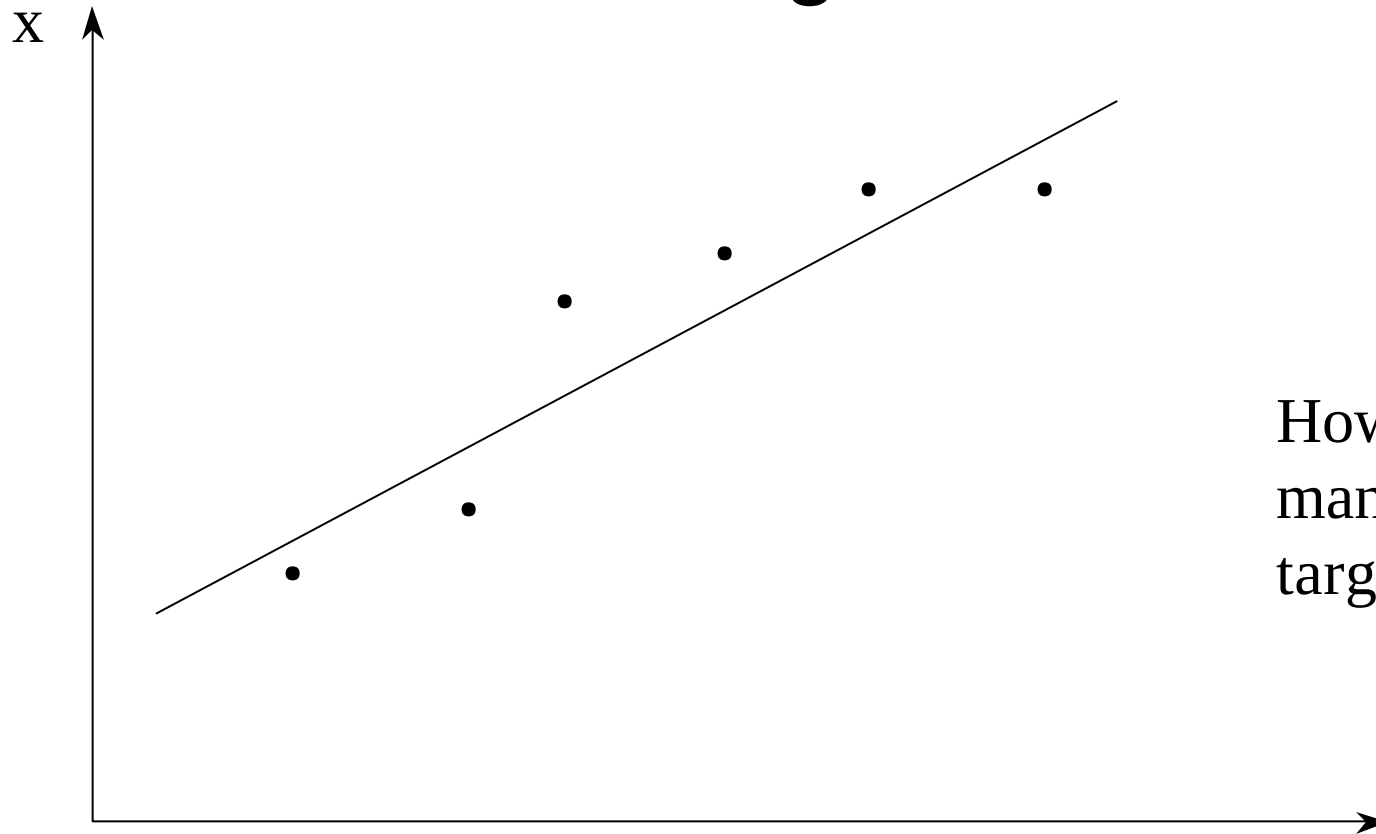


Filtering techniques

(Estimating position, speed & heading ...)

- Linear regression (least squares batch processing)
(hardly used in this context)
- (70's) Alpha-Beta
- (80's) Adaptive Kalman
- (90's) Interactive Multiple Model (IMM)
- (2000's ?) Non-linear filtering?

Linear regression



How to handle
maneuvering
targets???

Alpha-Beta filtering

$\tilde{\mathbf{x}}, \tilde{\dot{\mathbf{x}}}$ predicted position, speed

$\hat{\mathbf{x}}, \hat{\dot{\mathbf{x}}}$ updated position, speed

$\mathbf{x}_m$ measured position

Prediction step

$$\tilde{\mathbf{x}} = \hat{\mathbf{x}} + \hat{\dot{\mathbf{x}}} T$$

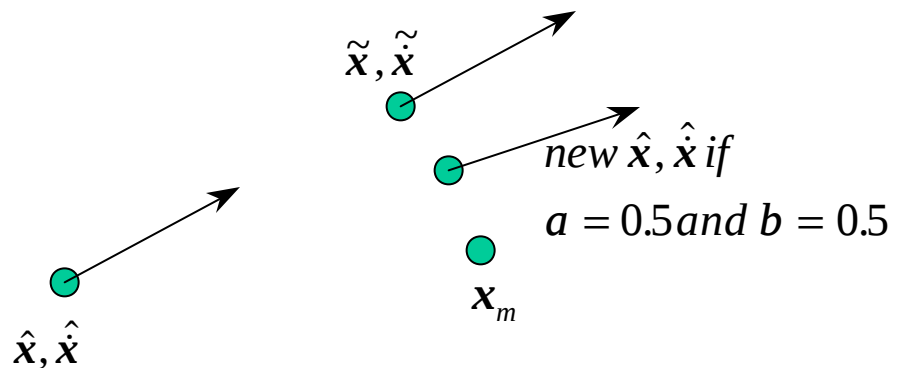
$$\tilde{\dot{\mathbf{x}}} = \hat{\dot{\mathbf{x}}}$$

Updating step

$$\hat{\mathbf{x}} = \tilde{\mathbf{x}} + a (\mathbf{x}_m - \tilde{\mathbf{x}})$$

$$\hat{\dot{\mathbf{x}}} = \tilde{\dot{\mathbf{x}}} + b \frac{\mathbf{x}_m - \tilde{\mathbf{x}}}{T}$$

α and β are tuning constants
between 0 and 1



$\alpha=\beta=0$: Measurement has no effect

$\alpha=\beta=1$: History has no effect



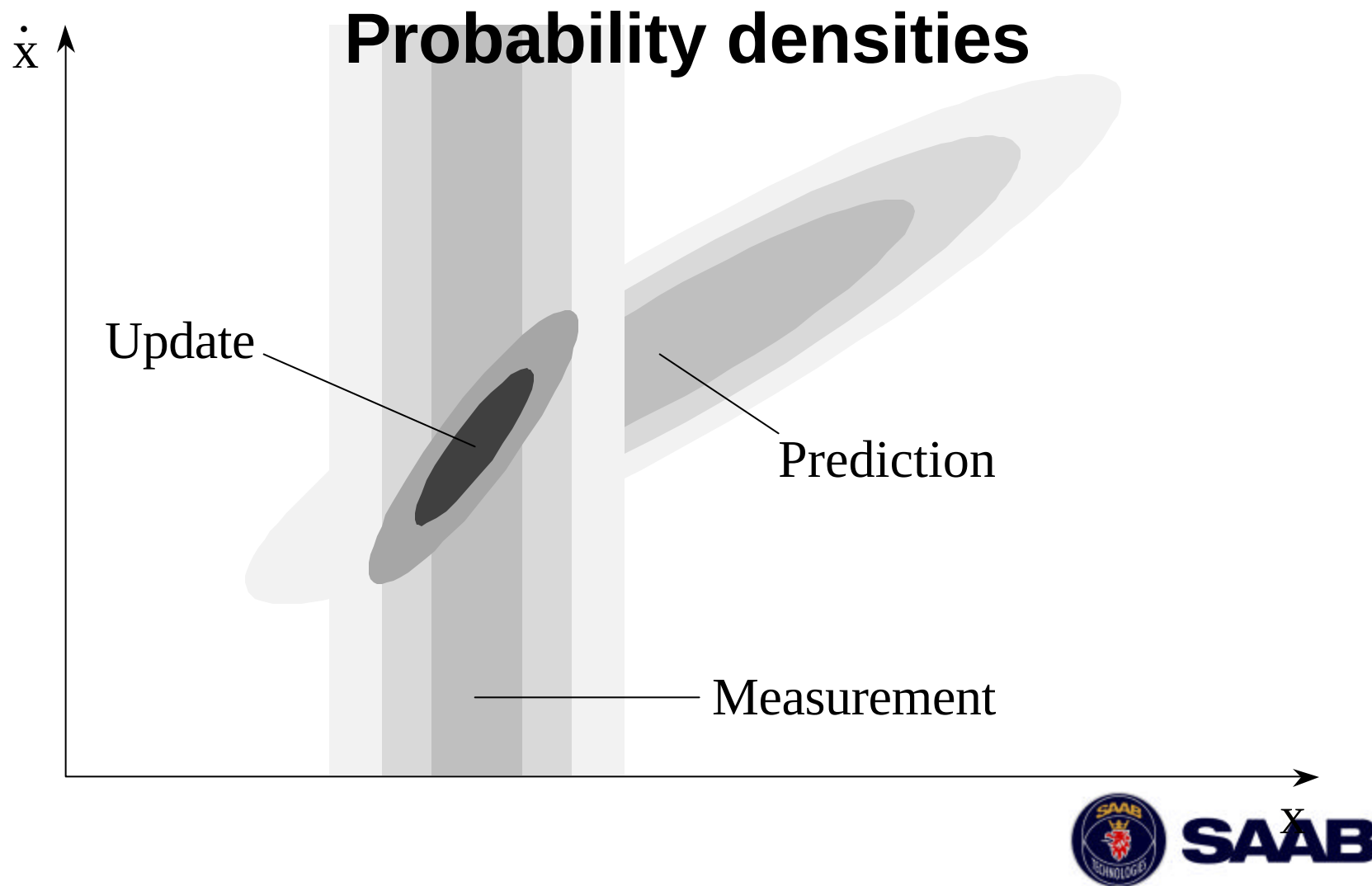
Kalman filtering

Current state & uncertainties
+
Measurement & uncertainties
=
New state & uncertainties

Like a-b-filter, but:
Automatically optimizes a and b
Best weighting between history
and measurement
Output includes estimated accuracy



SAAB



Kalman filter maths (I)

$\mathbf{x}, \dot{\mathbf{x}}$

replaced by a state vector, often:

$$\mathbf{X} = \begin{pmatrix} \mathbf{x} \\ \dot{\mathbf{x}} \end{pmatrix}$$

and a covariance matrix, describing the uncertainties:

$$\mathbf{P} = \begin{pmatrix} P_{11} & P_{12} \\ P_{21} & P_{22} \end{pmatrix}$$

$$P_{11} = \overline{(X_1 - \bar{X}_1)^2} = s_1^2$$

$$P_{12} = \overline{(X_1 - \bar{X}_1)(X_2 - \bar{X}_2)}, \text{ etc.}$$

Kalman filter maths (II)

Prediction:

$$\tilde{\mathbf{X}} = \Phi \hat{\mathbf{X}}$$

where Φ is a transition matrix, often like $\Phi = \begin{pmatrix} 1 & T \\ 0 & 1 \end{pmatrix}$
(or higher dimension).

Update:

$$\hat{\mathbf{X}} = \tilde{\mathbf{X}} + \mathbf{K} \cdot (\mathbf{x}_m - \mathbf{H}\tilde{\mathbf{X}})$$

where $\mathbf{H}$ is a projection matrix, like $\begin{pmatrix} 1 & 0 \end{pmatrix}$
and $\mathbf{K}$ is the Kalman gain (replacing α and β)

Kalman filter maths (III) - for reference

The optimal choice for $\mathbf{K}$ is

$$\mathbf{K} = \tilde{\mathbf{P}}\mathbf{H}^T (\mathbf{R} + \mathbf{H}\tilde{\mathbf{P}}\mathbf{H}^T)^{-1}$$

where $\mathbf{R}$ is the covariance matrix for the measurement noise (in Cartesian coordinates)

Covariance matrix for predicted $\mathbf{X}$:

$$\tilde{\mathbf{P}} = \Phi\hat{\mathbf{P}}\Phi^T + \mathbf{Q}$$

Φ transfers speed uncertainties to position. $\mathbf{Q}$ is the *process noise*, describing unpredictable maneuvers.

Covariance matrix for updated $\mathbf{X}$:

$$\hat{\mathbf{P}} = \tilde{\mathbf{P}} - \mathbf{K}\mathbf{H}\tilde{\mathbf{P}}$$

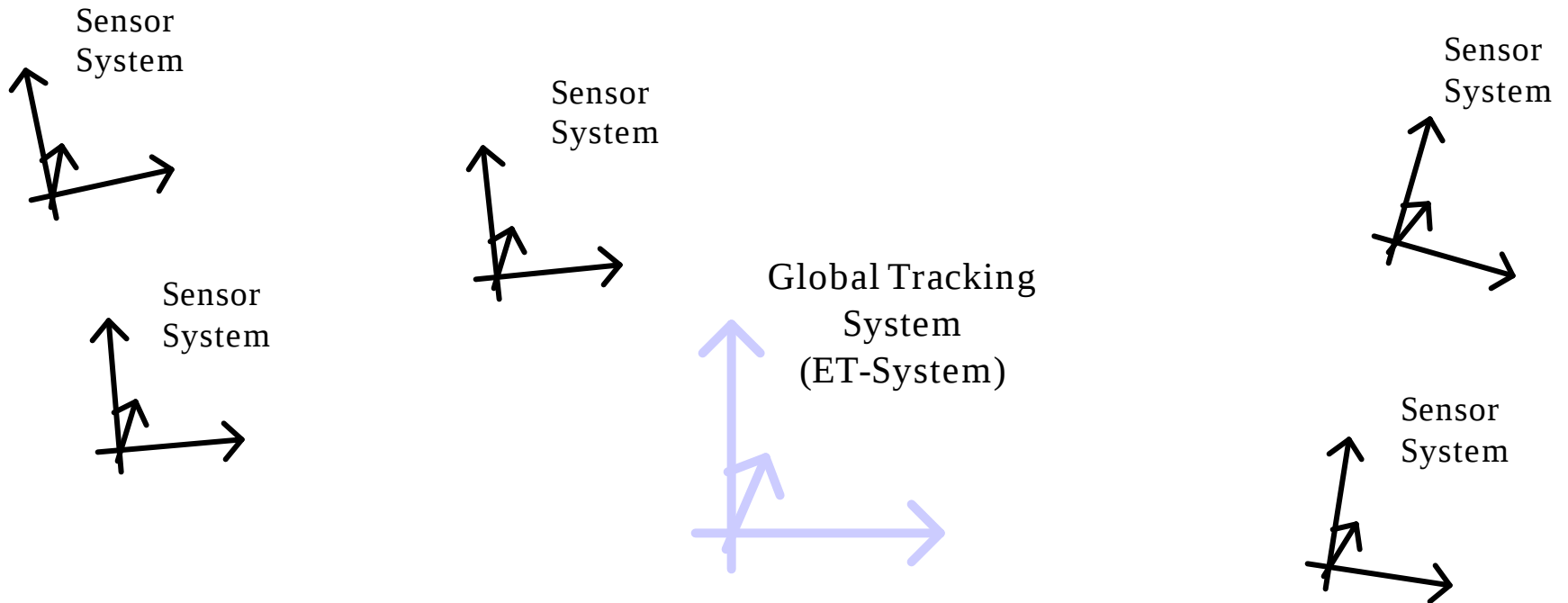


Filter Ekvationer-teori

$$\begin{cases} dX_t = f(X_t, t)dt + db & \text{Dynamik och processbrus} \\ Z = h(X_t, t) + g & \text{Mätekvation och mätbrus} \end{cases}$$

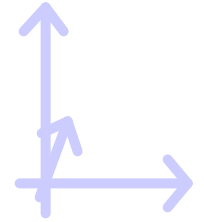
- $\mathbf{X}$ en stokastisk variabel som beskriver tillståndet som estimeras. I Kalman filtret antas den vara normalfördelad, dvs $\mathbf{X}$ kan beskrivas med ett ”medelvärde”+”kovariansmatris”.
- Mättrummet $\mathbf{Z}$ oftast en delmängd av (r, az, el) . Det krävs en mätekvation för varje sensor.
- För att egenskapen att vara normalfördelad skall bevaras måste $\mathbf{f}$ och $\mathbf{h}$ vara linjära. I annat fall görs approximationer (lineariseringar osv).

The Coordinate Systems

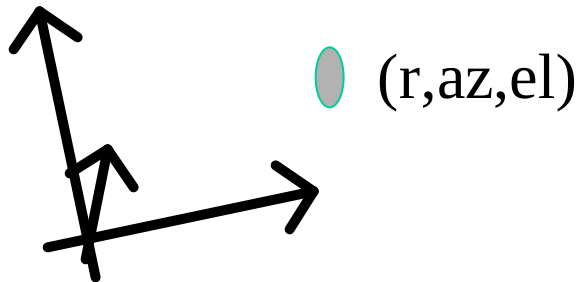


Updating in the Measurement Space

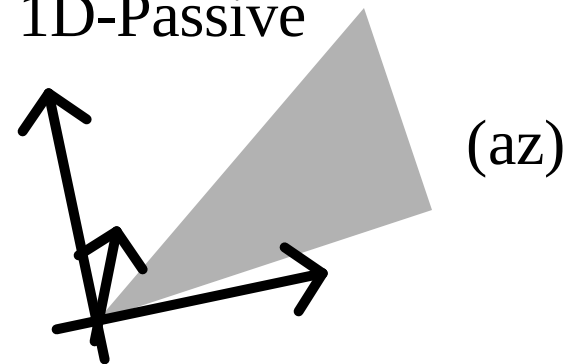
ET System



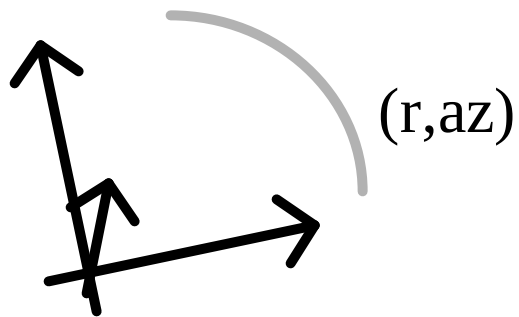
3D-Radar



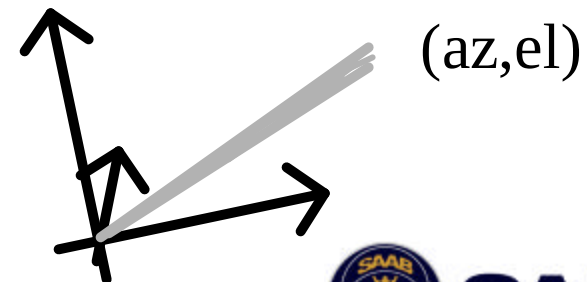
1D-Passive



2D-Radar

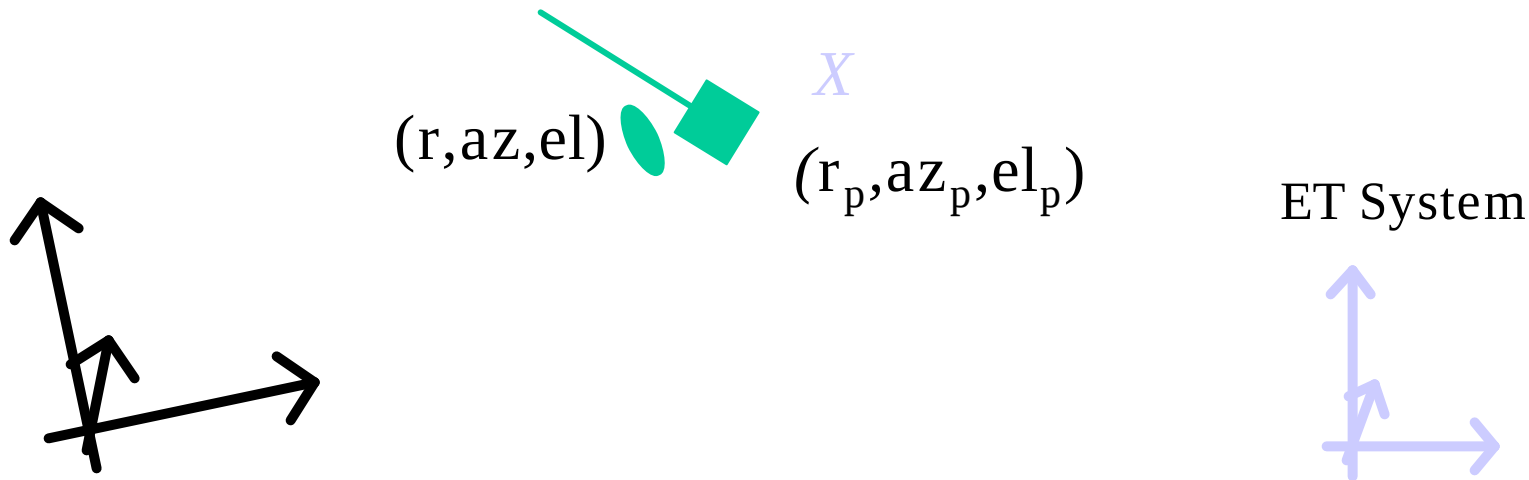


2D-Passive



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Updating the Filter



Transform track position to measurement space:

$$\tilde{X} \rightarrow (r_p, az_p, el_p)$$

Update the track state in the ET system:

$$\hat{X} = \tilde{X} + K_{X,r}(r - r_p) + K_{X,az}(az - az_p) + K_{X,el}(el - el_p)$$



SAAB

IMM-Filters

- Single Kalman filter never sufficient
- Different methods have been developed using multiple Kalman filters, or different maneuver detection schemes
- Our early filters used two simple Kalman filters with different bandwidth
- New filter use the IMM technique (TBMS, ATC, AIR-DEFENCE)

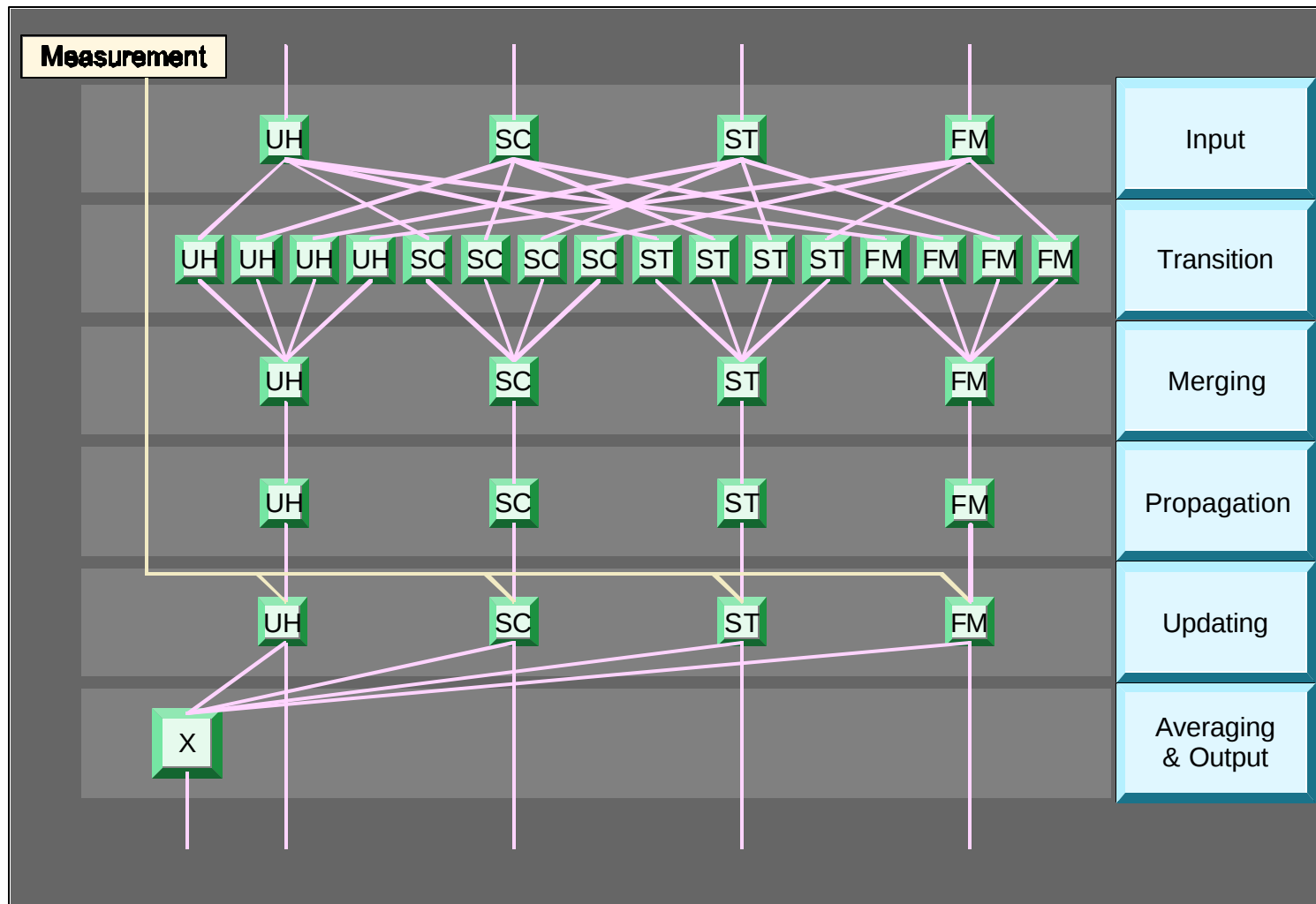
IMM States

	State Vector and Filter Type	Dynamics
Uniform Horizontal Motion	$(x_1, x_2, x_3, \dot{x}_1, \dot{x}_2, \dot{x}_3)$ Linear Kalman filter	$\ddot{\mathbf{x}} = 0; \dot{\mathbf{x}} \cdot \mathbf{u} = 0$ $\mathbf{u} =$ vertical unit vector
Speed Changes	$(x_1, x_2, x_3, \dot{x}_1, \dot{x}_2, \dot{x}_3)$ Linear Kalman filter	$\ddot{\mathbf{x}} \cdot \mathbf{u}$ and $\ddot{\mathbf{x}} \cdot \mathbf{l} =$ white noise $\mathbf{l} =$ longitudinal unit vector $\ddot{\mathbf{x}} \cdot (\mathbf{u} \times \dot{\mathbf{x}}) = 0$
Slow Turns	$(x_1, x_2, x_3, \dot{x}_1, \dot{x}_2, \dot{x}_3, w)$ 2^{nd} order Extended Kalman	$\dot{w} = 0$ $w =$ turn rate
Fast Maneuvers	$(x_1, x_2, x_3, \dot{x}_1, \dot{x}_2, \dot{x}_3)$ Linear Kalman filter	$\ddot{\mathbf{x}} \cdot \mathbf{l} =$ white noise $\ddot{\mathbf{x}} \cdot \mathbf{s}, \ddot{\mathbf{x}} \cdot \mathbf{t} =$ white noise $\mathbf{l} \cdot \mathbf{s} = \mathbf{l} \cdot \mathbf{t} = \mathbf{s} \cdot \mathbf{t} = 0$



SAAB

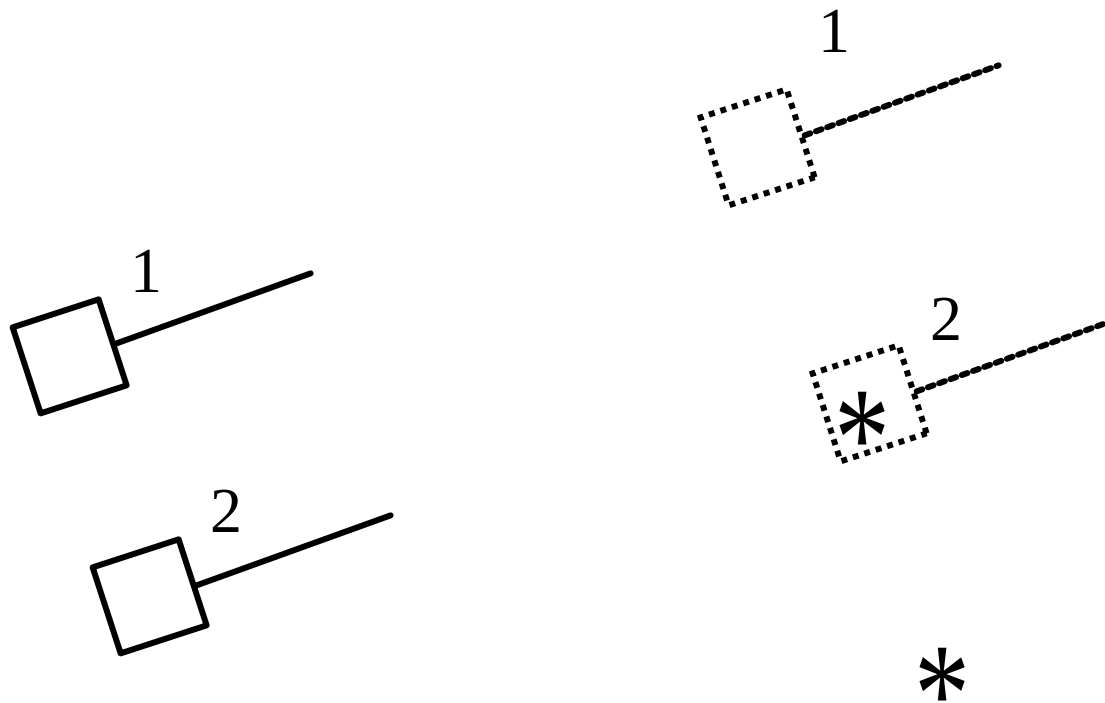
IMM structure



Association methods

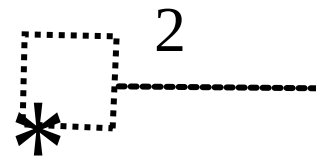
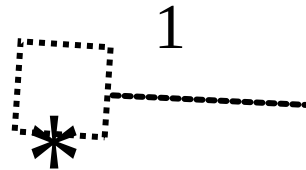
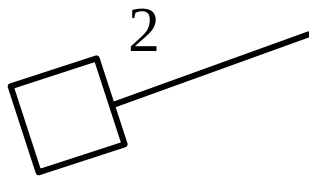
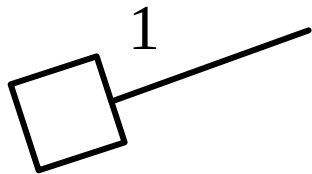
- Nearest neighbour
- Nearest neighbour with statistical distance
- Global minimisation on statistical distances
- Global maximisation of probability
- Probabilistic Data Association (PDA)
- Joint Probabilistic Data Association (JPDA)
- Multiple Hypothesis Tracking (MHT)

Example: NN

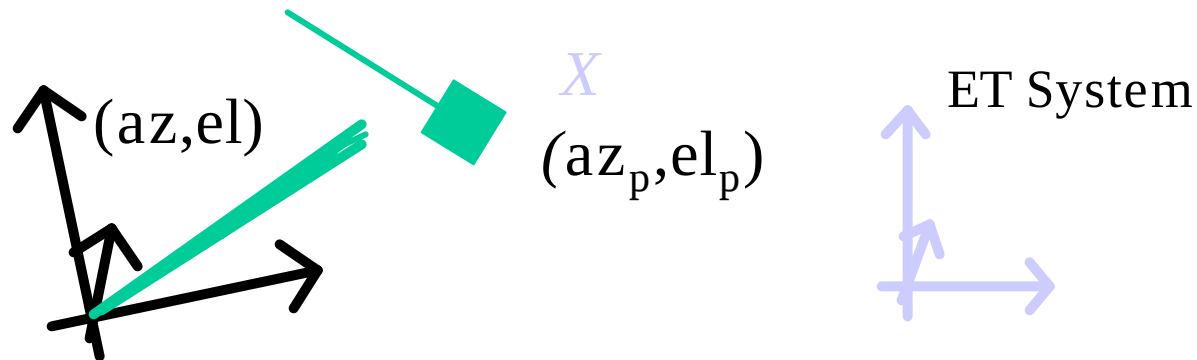


Example: LPQ-method

(Global maximisation of probability)



Measurement-to-Track Association



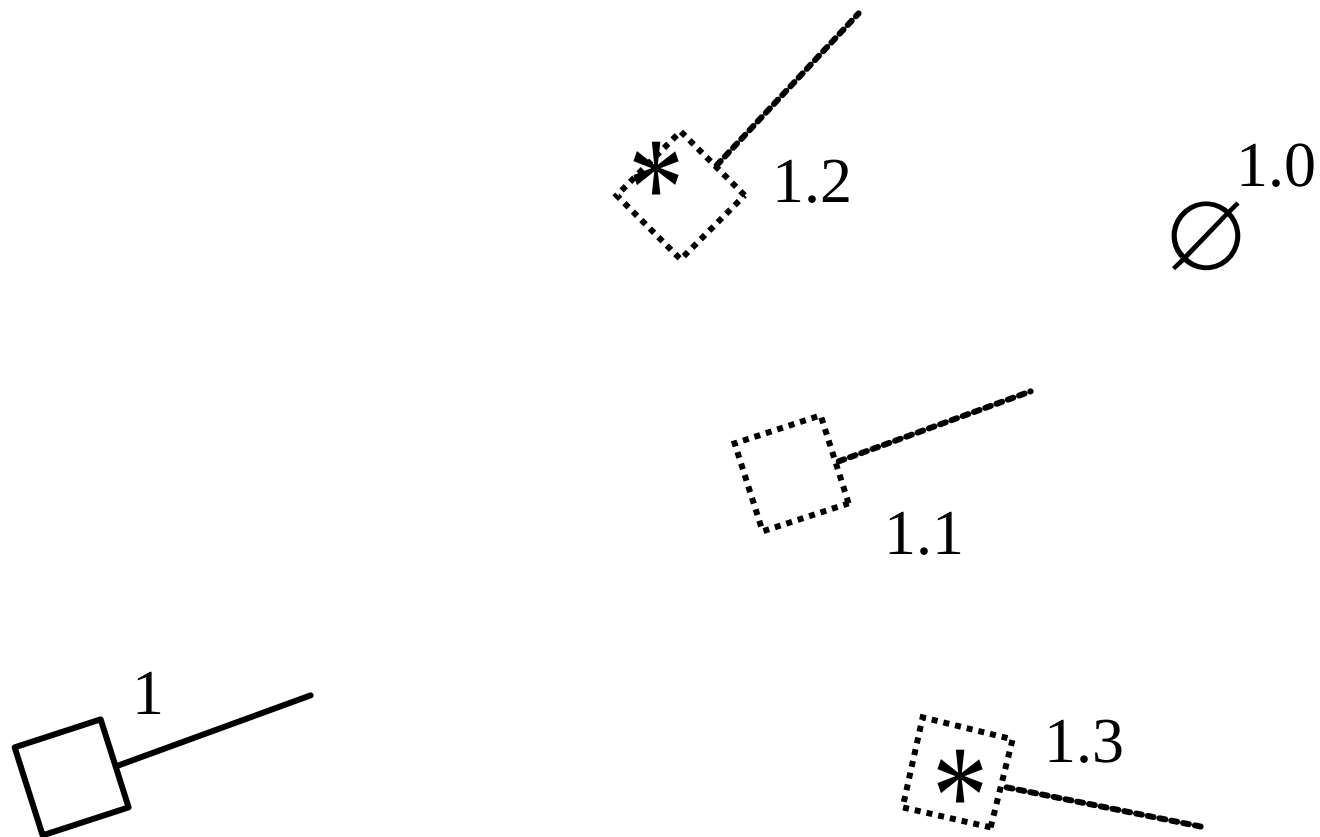
Transform track position and its covariance to measurement space:

$$X \rightarrow (az_p, el_p), \quad (P_{az\ az}, P_{az\ el}, P_{el\ el})$$

$$d^2(p, t) = \Delta S^{-1} \Delta^t, \quad \Delta = (az - az_p \quad el - el_p), \quad S = \begin{pmatrix} P_{az\ az} + s_{az}^2 & P_{az\ el} \\ P_{az\ el} & P_{el\ el} + s_{el}^2 \end{pmatrix}$$

$$f(p, t) = \exp\left(-\frac{d^2(p, t)}{2}\right) / (2p \sqrt{\det(S)})$$

Track Oriented Multi Hypothesis Tracking (MHT)



MHT: nötter

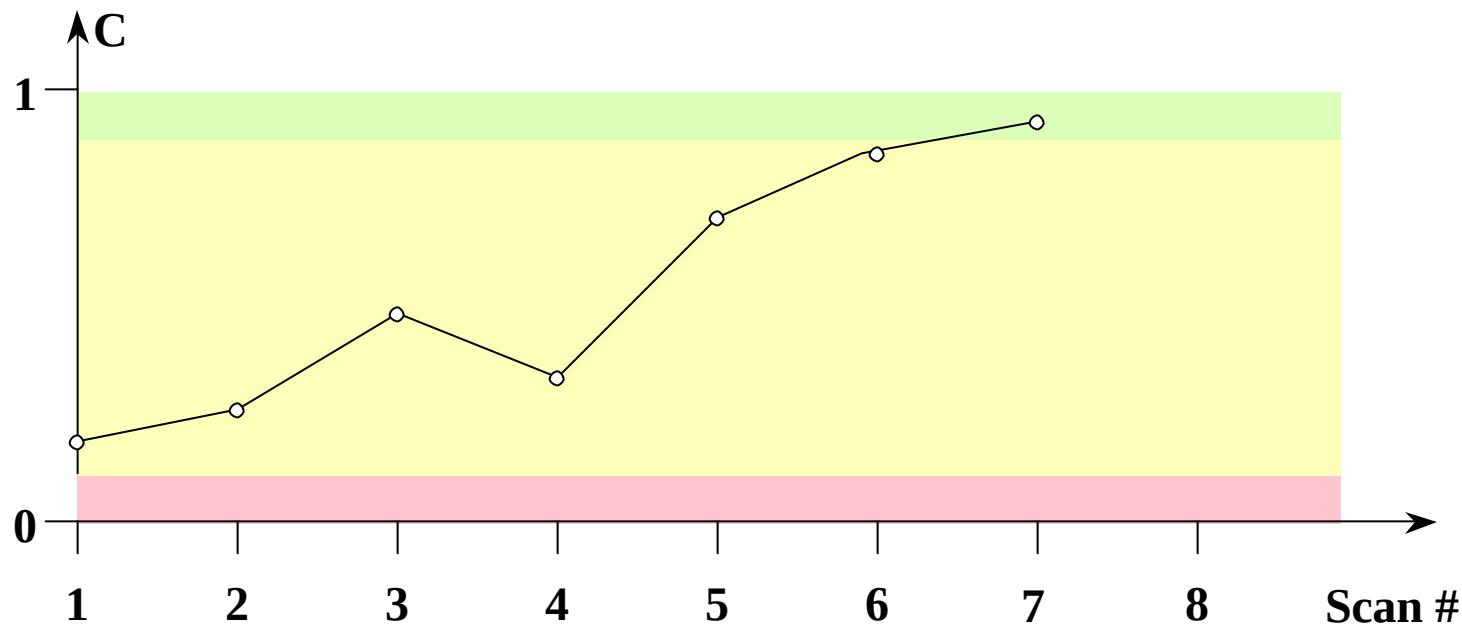
- Den hypotes med högsta sannolikhet visas (viss hysteresis).
- Hypoteser med låg sannolikheter tas bort (pruning).
- Antagandet att våra hypoteser är uttömmande stämmer inte alltid. T.ex. om två plottar eller fler, fås p.g.a. motmedel, eller att flera mål ej var upplösta från början.
- Metoden hanterar ej initiering av målspar.

Databaserad MHT

- Har fördelen att den inkluderar initiering av målspar.
- Nackdelen är att den har hög beräkningskomplexitet.
- Den behöver mycket handpåläggning för att fungera i praktiken (pruning ...).
- Kan användas för att hantera ofullständigheter hos sensorer.

Track initiation

- ◆ Required: Fast initiation and low false track rate
- ◆ Sequential hypothesis testing
- ◆ Credibility C » likelihood that a potential track is genuine

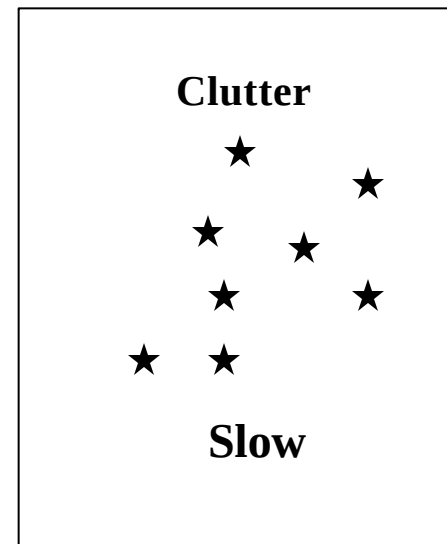
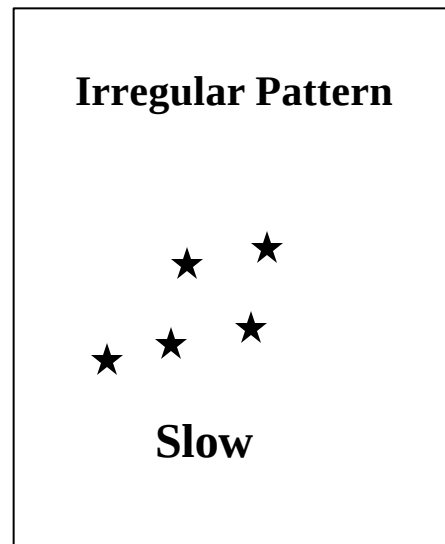
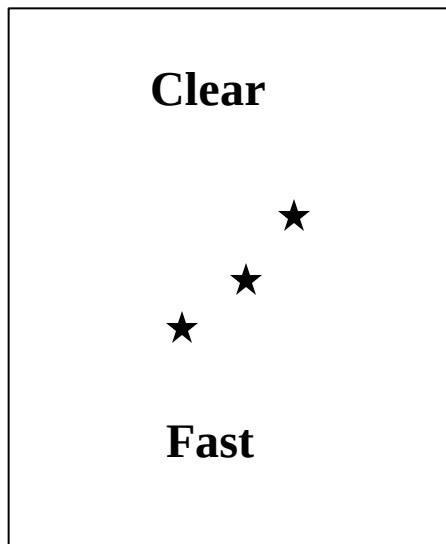


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Track initiation - cont'd

◆ Credibility update depends on

- Spurious plot density
- Hit proximity



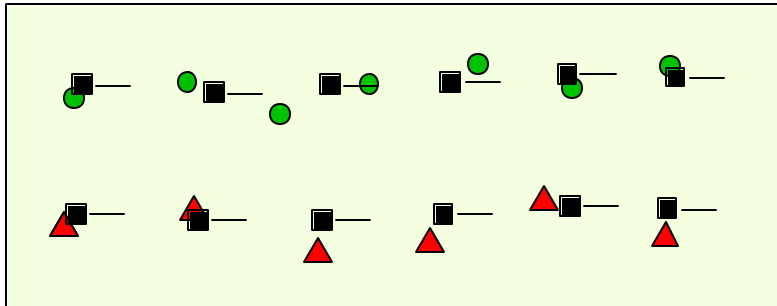
SAAB

Bias Estimation and Compensation

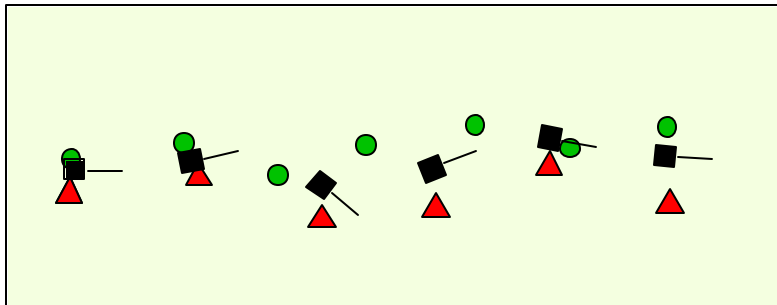
KTH 2001-03-29



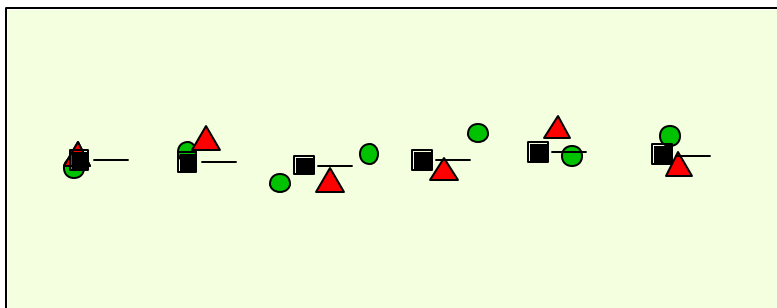
Bias Errors



Large bias errors may cause multiple tracks for one target



Small bias errors may impair accuracy



Efficient bias compensation is crucial

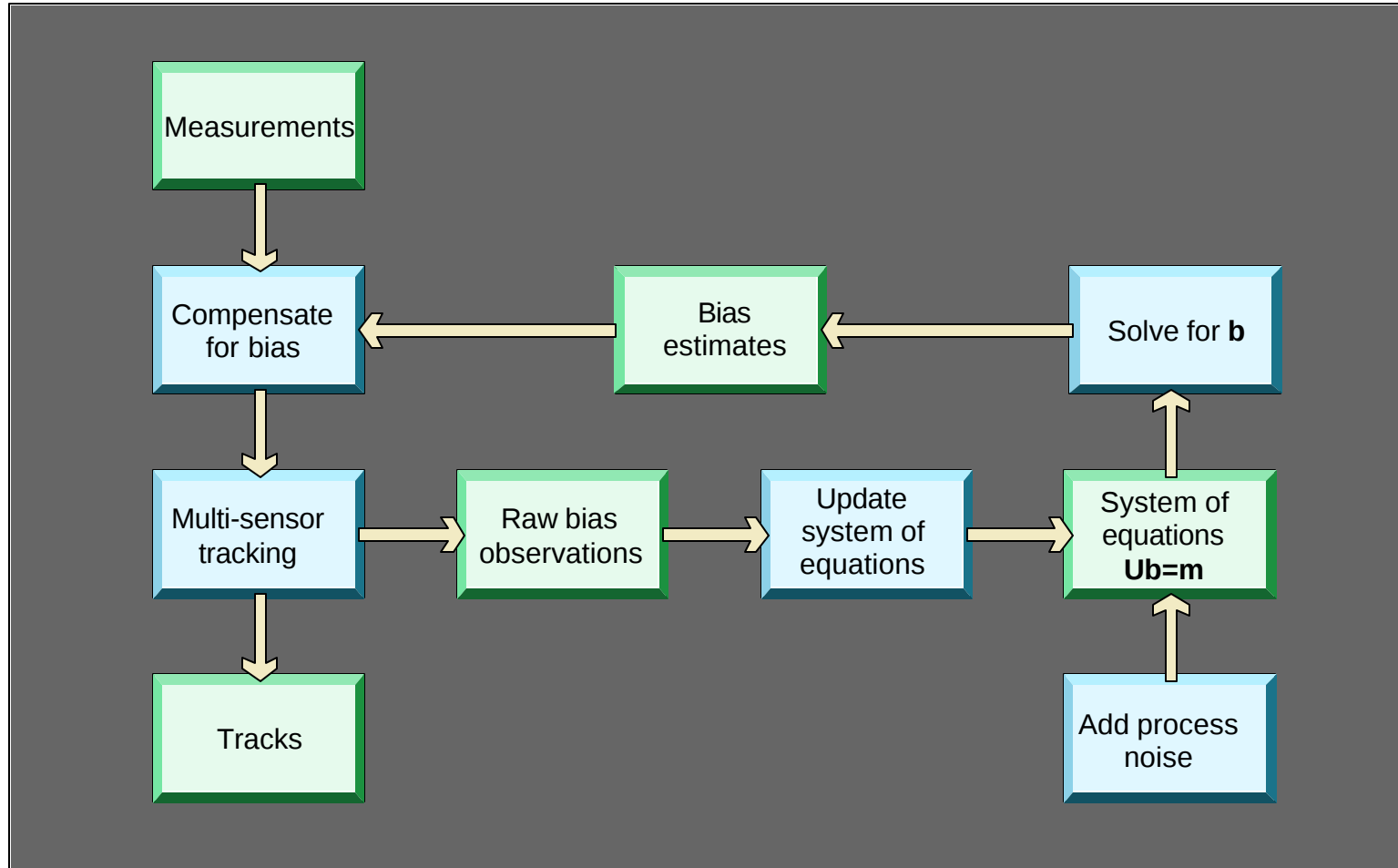
Bias Parameters

- For each sensor a subset of the following can be selected:
 - Timing error
 - Sensor location up/east/north
 - Axis tilting east/north
 - North alignment
 - Range offset
 - Range gain
 - Antenna roll/pitch

Estimation process

- Works continuously in background
- Measurements are collected from different sensors
- Bias parameters are calculated to minimize discrepancies
- Quasi-recursive: Both sides of a system of equations updated continually; solved periodically
- Process noise injected to account for drifting of bias errors

Bias estimator



Strobe Handler

Filtering of Strobes
and
Computation of Crosses

Terminology (SH)

- Strobe Track: An estimate of angle and angular velocity of a possible target.
- Crossing: Computed crossing between two or more strobe tracks. It contains an estimate of position, speed and heading.
- Ghosts: Tracks or crossings formed using strobes originating from different targets

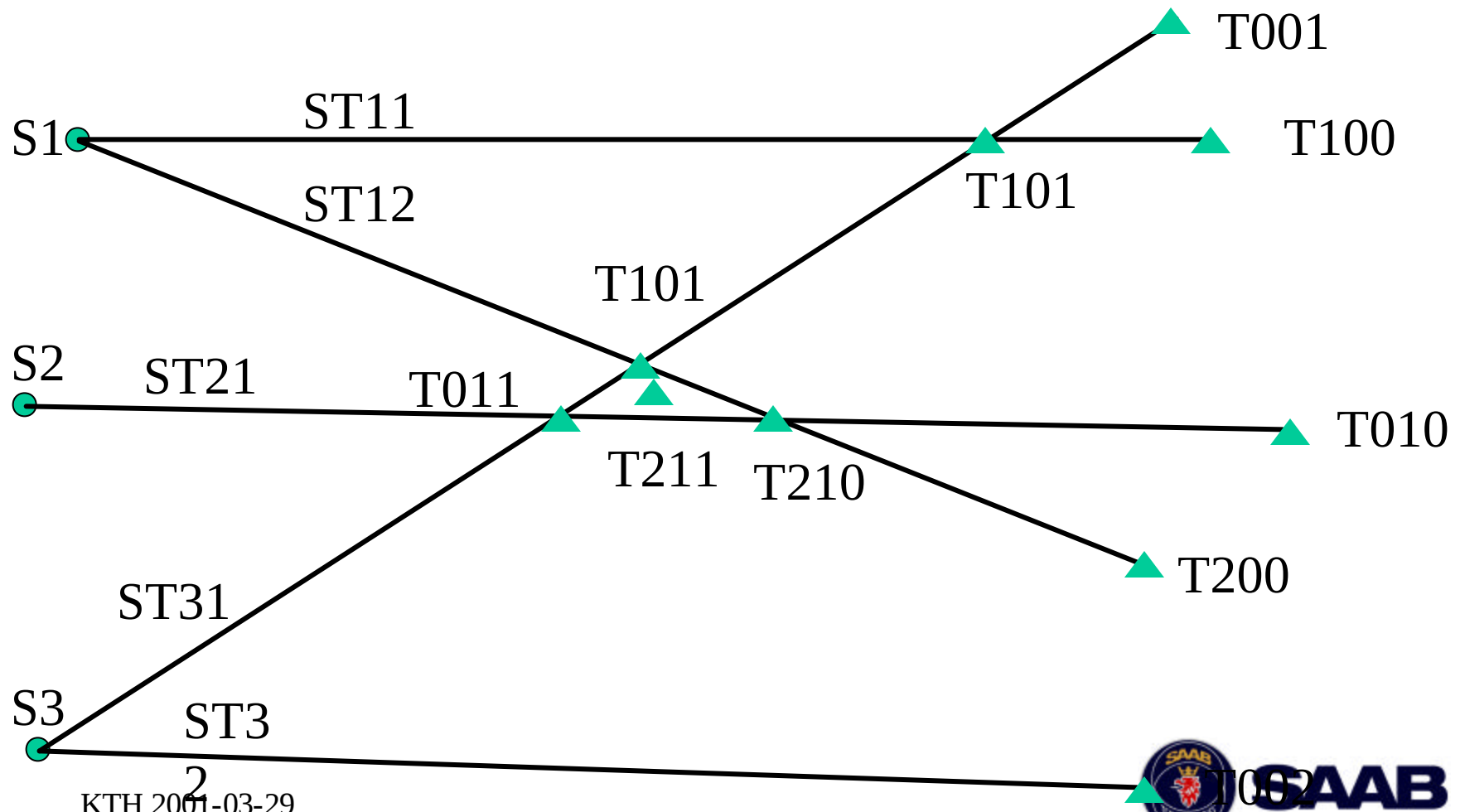
Main functionality of SH

- Maintain Strobe Tracks per Sensor
- Use Strobe Tracks to Compute possible Target Position (Crosses)
- If enabled, Initiate Tracks using High Quality Crosses

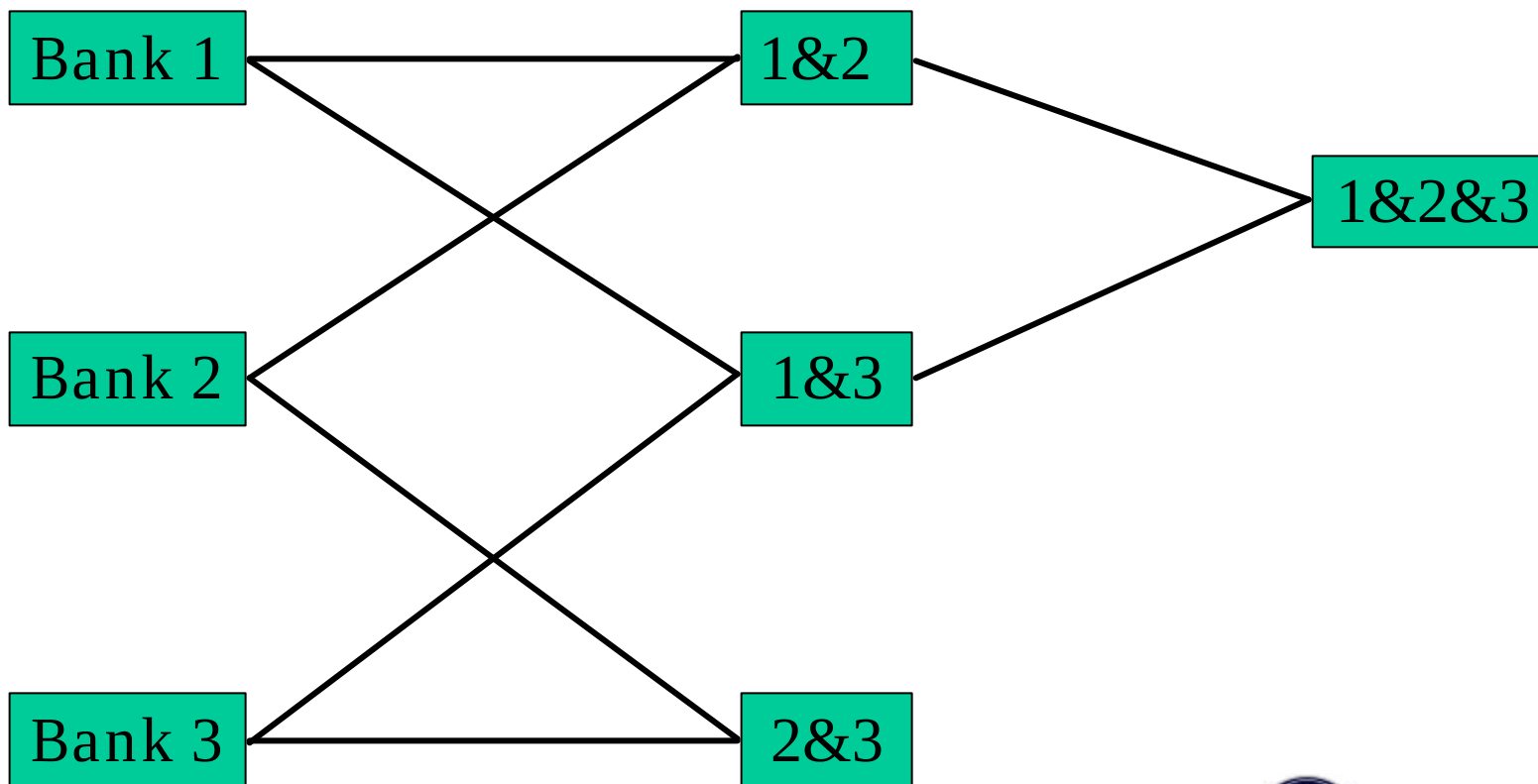
Computation of Crosses

- All Strobe Tracks are Propagated to Common Time
- Compute all Possible Crosses
- Compute the Quality of the Crosses
- Select the Crosses with Highest Quality under the Constraint that a Strobe Track is used only once

Formation of Crosses



Formation of Hypothetical Crosses

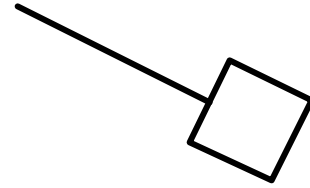


MST with integrated Non-cooperative Target Type Recognition

- Algorithms and a prototype has been developed
- Tested with simulated data
- Next step is to test the algorithms further with live sensor data, radars,IRST and ESM sensors.

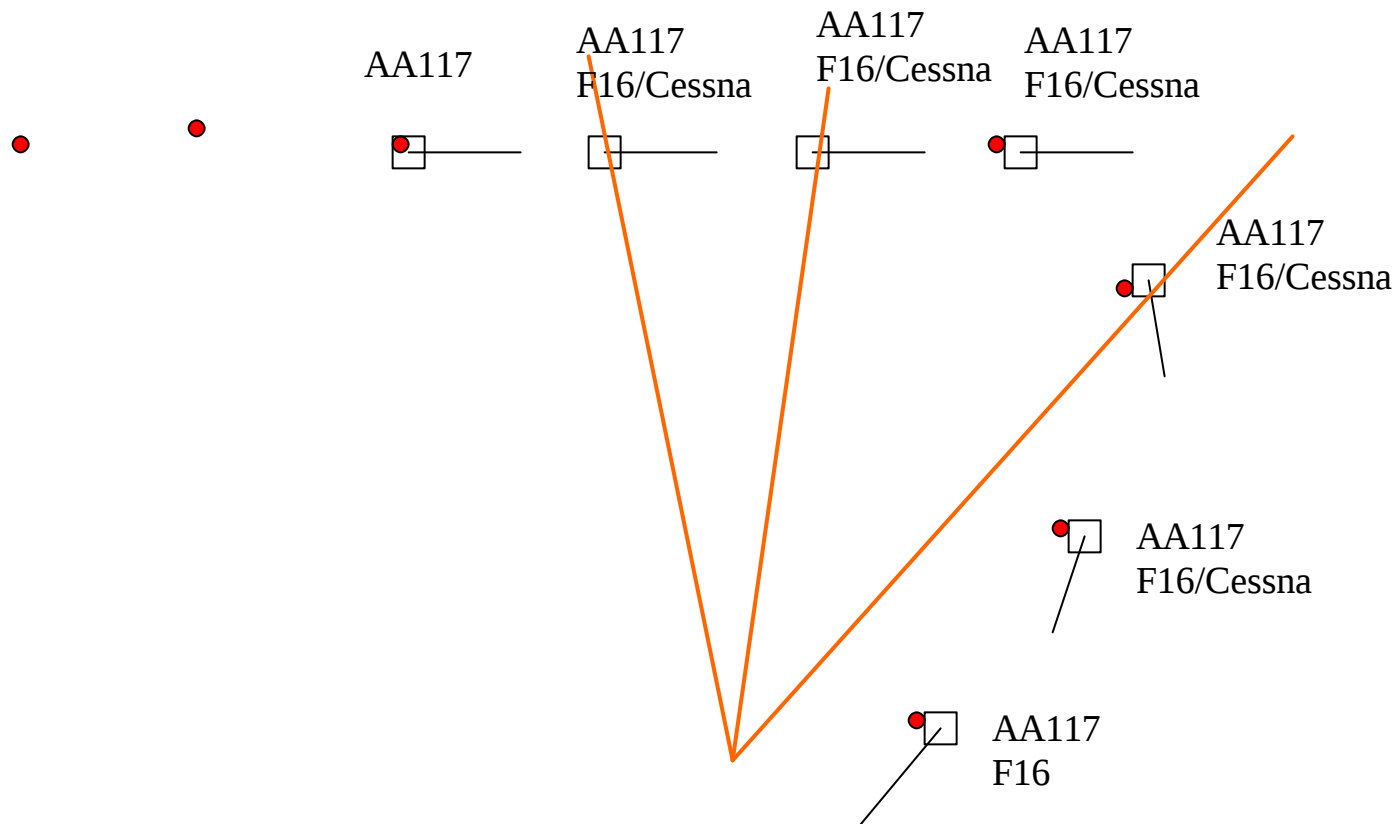


The MST-Track

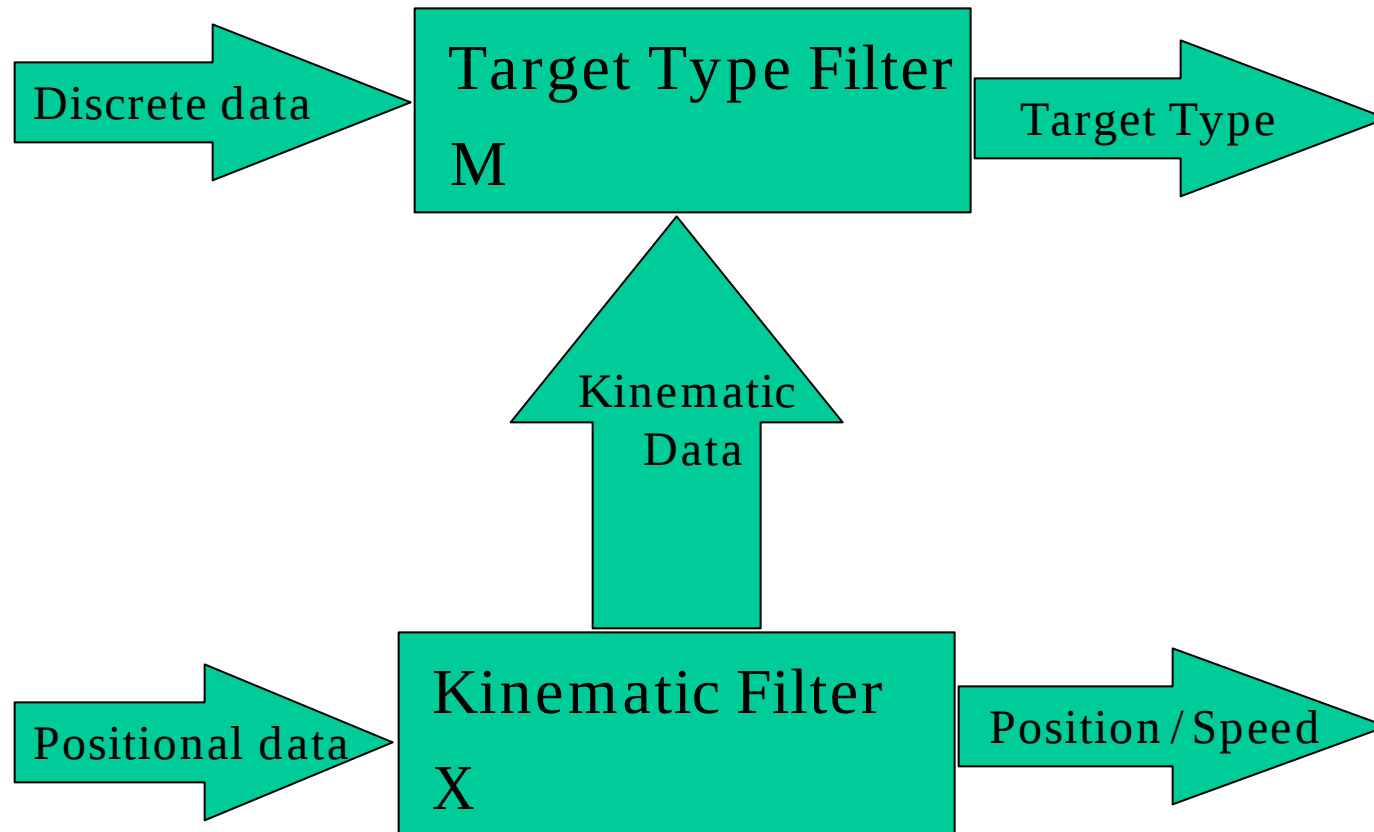


- The Track should contain as much information as possible about a target
 - A filter that estimates the kinematics of the target
 - *A target classification state*
- The filter is updated with the sensor measurement, i.e. a subset of: Azimuth, Range, Elevation
- *The estimated target classification state is updated by the amplification data. It can also utilize the kinematic information from the filter or direct information.*

Integration of Non-cooperative Target Type Recognition



Tracking/Typing Filters



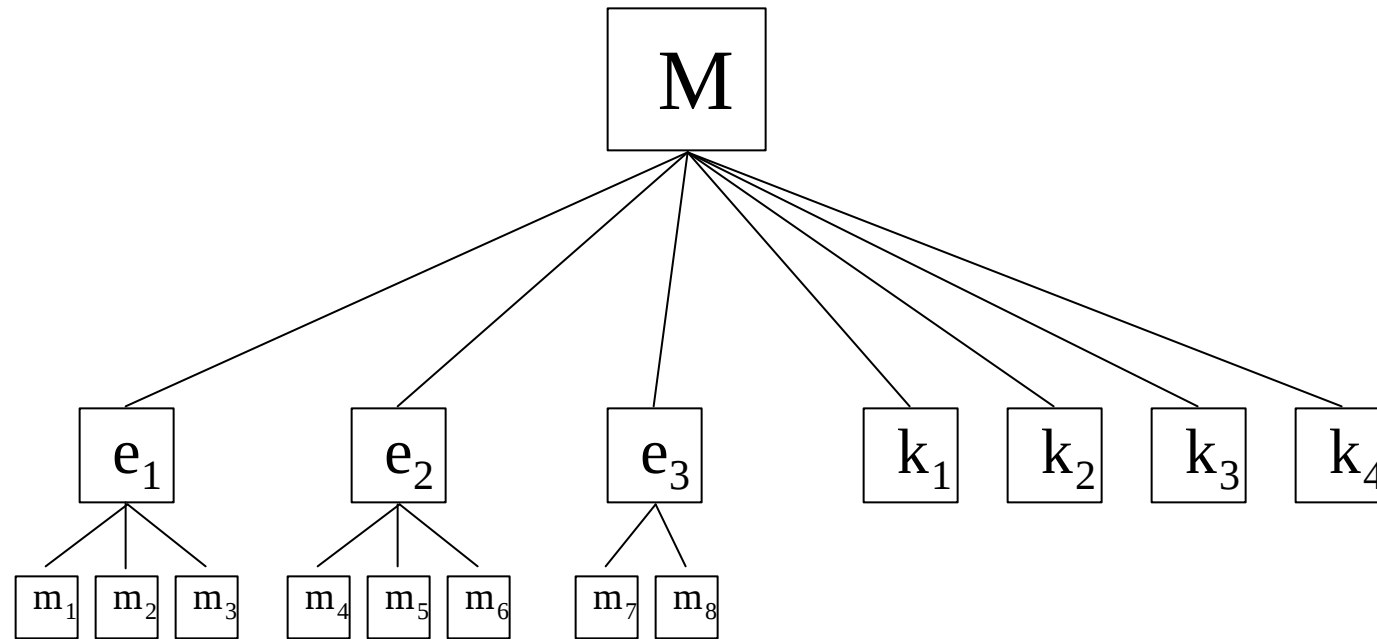
Common methods for Typing

- Dempster-Shafer (and variants of it)
- Bayesian (probabilistic)
- Neural networks (training)

We use the Bayesian method

- A recursive algorithm with a state vector that grows linearly the number of target types.
- Process noise models "forgetting"
- Easy to implement in data association, cross computation etc, since it is probabilistic
- Need some engineering to make it work in real life

Målinformations model



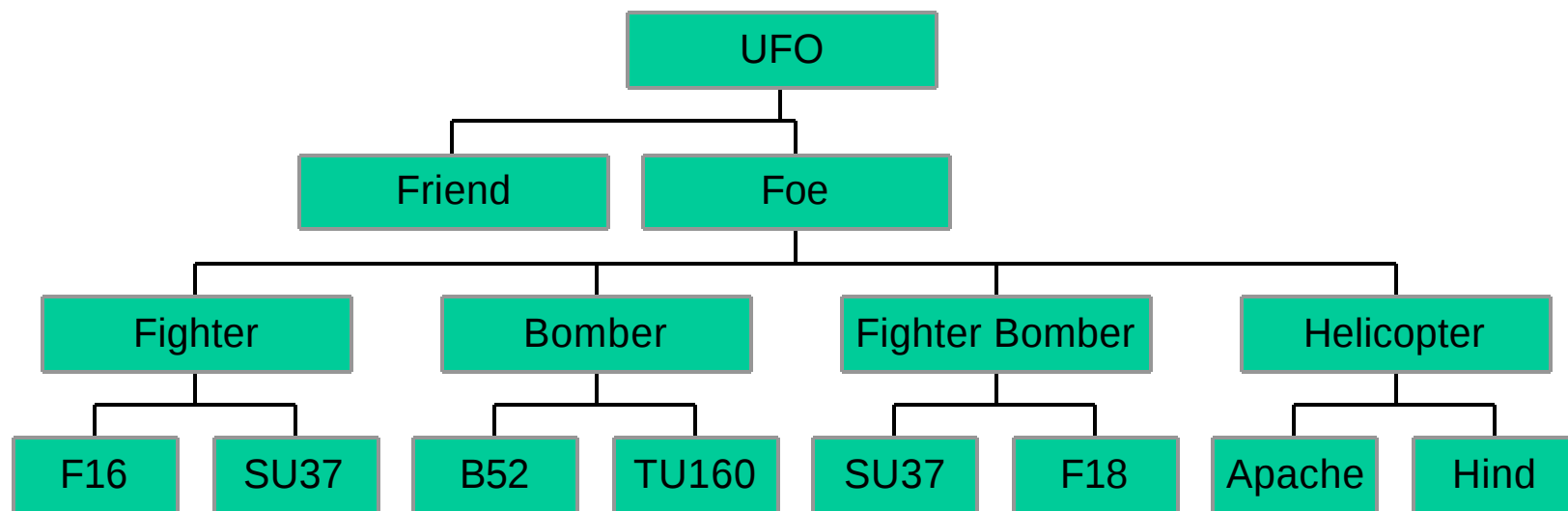
M =Mål Typ (Fine grid: Cessna, F16, Mig29, Concorde etc)

e_i =Emitter Typ (radar, after burner,height finder, nav.

m_i =Emitter Mod (attack / search, on / off)

k_i =Flygenveloper (altitude, min / max speed, climb rate etc.)

Target Type Refinement



Filter ekvationer för attribut

Kinematisk filtrering:

$$\begin{cases} \dot{X} = f(X, t) + w & \text{Dynamik och processbrus} \\ Z = h(X, t) + g & \text{Mätekvation och mätbrus} \end{cases}$$

Attribut filtrering?:

$$\begin{cases} \dot{M} = f(M, t) + w & \text{Vad är M, dynamik och mätbrus?} \\ A = h(M, t) + g & \text{Mätekvation, mätbrus och mätrummet?} \end{cases}$$

M = måltyp (F16, SU30, ...), en diskret sannolikhetsfördelning

A = emitter moder, kinematiska data, Osäkerheter ges explicit.

Varför fungerar inte Kalmanfilter?

KTH 2001-03-29



Filter ekvationer ...

- I princip behövs ingen dynamisk ekvation.
Man vill dock "glömma gammal information, p.g.a. risk för "track swap" eller felaktigt associerat data.
- Mätekvationen mappar ned måltypen på attribut enligt föregående träd.
- Uppdateringen sker m.h.a. Bayes metod. Detta kräver en hel del pyssel för att fungera i praktiken

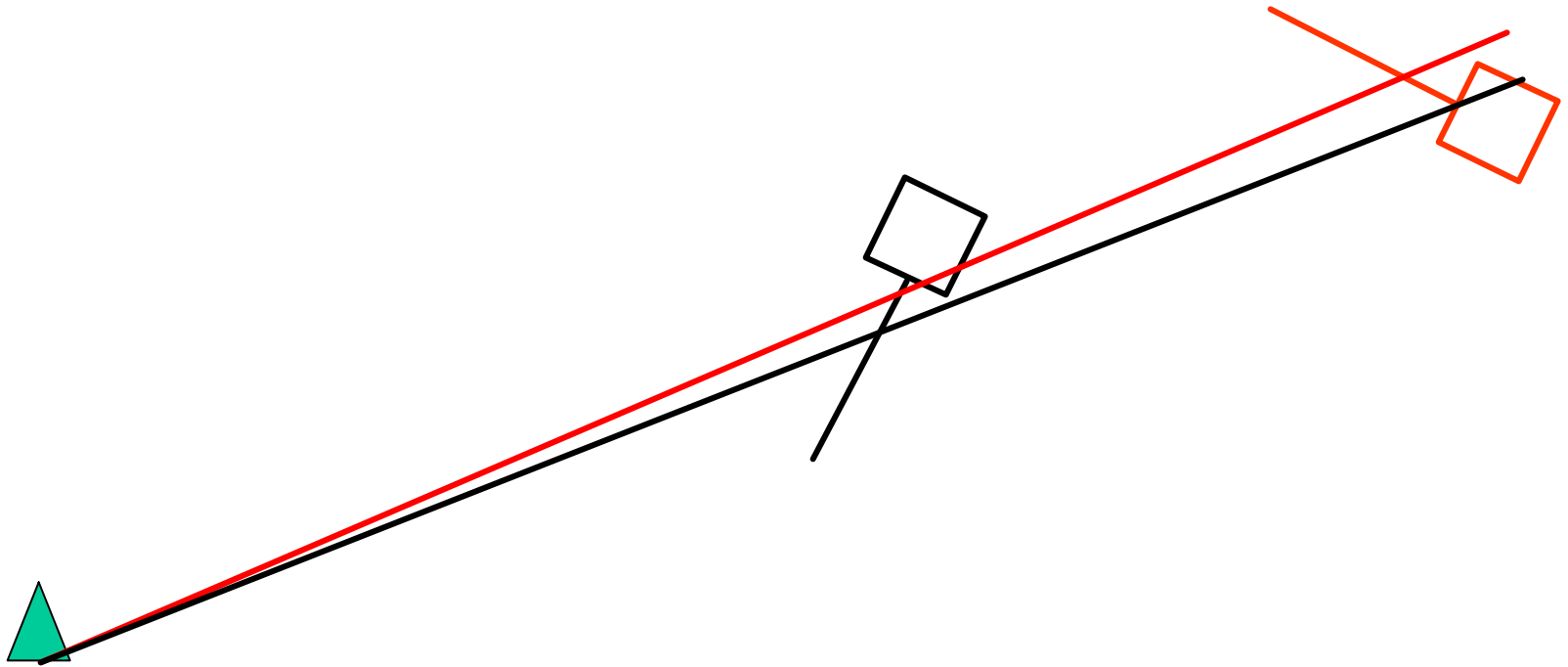
Basic usage

- Target typing for display to operator
- Improved plot-track association, cross computations, MHT

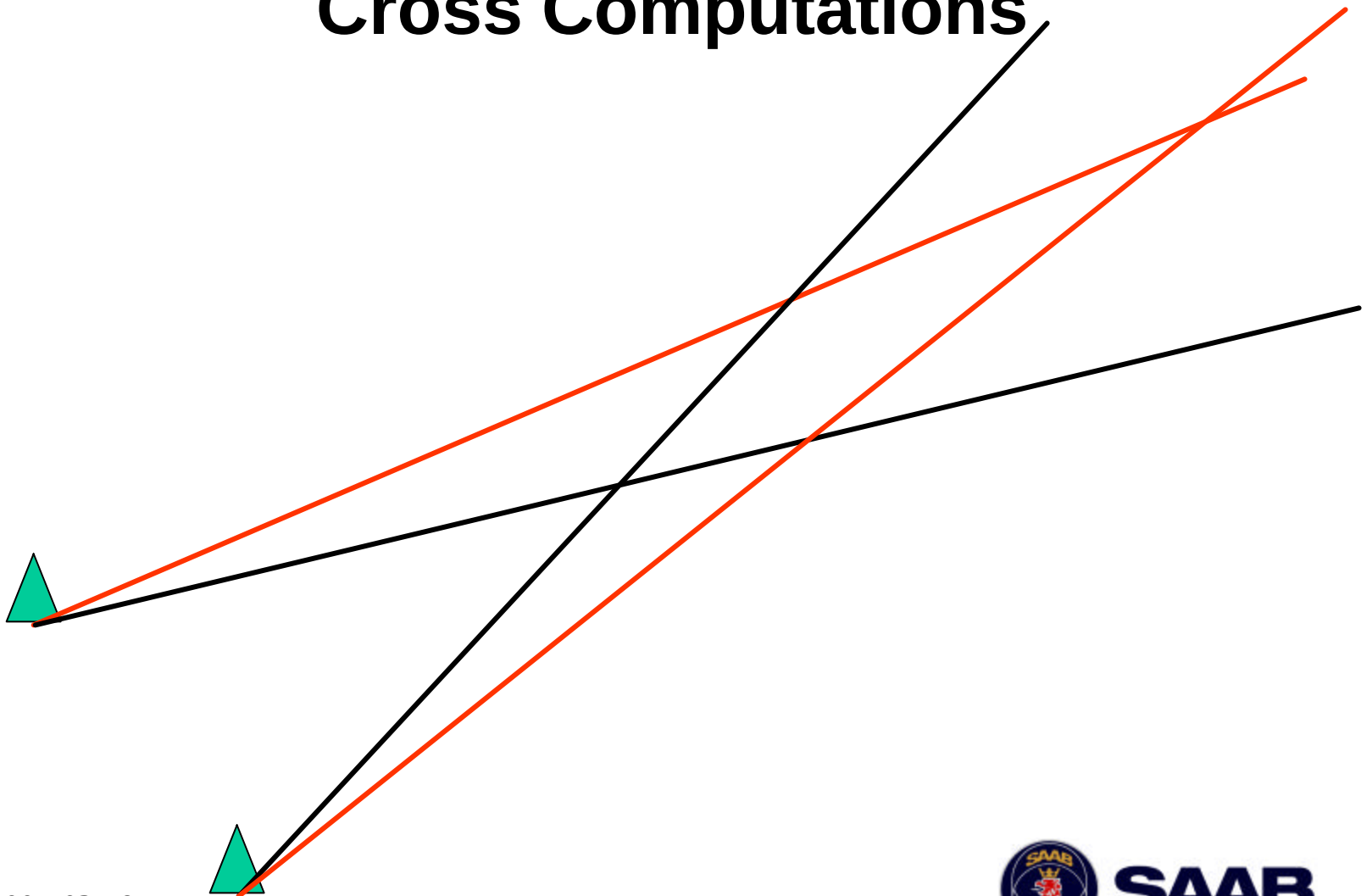
$$\tilde{X} = (X, M), \quad \tilde{Z} = (Z, A)$$

$$f(p, t) = f(p_Z, t_Z) f(p_A, t_A)$$

Improved plot/strobe-to-track association



Improved Cross Computations



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SAAB

Summary - principles for Target Tracking

- Centralised fusion of different sensors
- Multiple model Kalman filtering
- Measurement-to-track association
- Initiation/deletion of tracks
- Passive strobe handling (filtering and association)
- Sensor bias estimation and compensation
- Target typing

Statistical (Bayesian) algorithms in real time software